

Decentralized Grid Control Using Power Grid State Estimation

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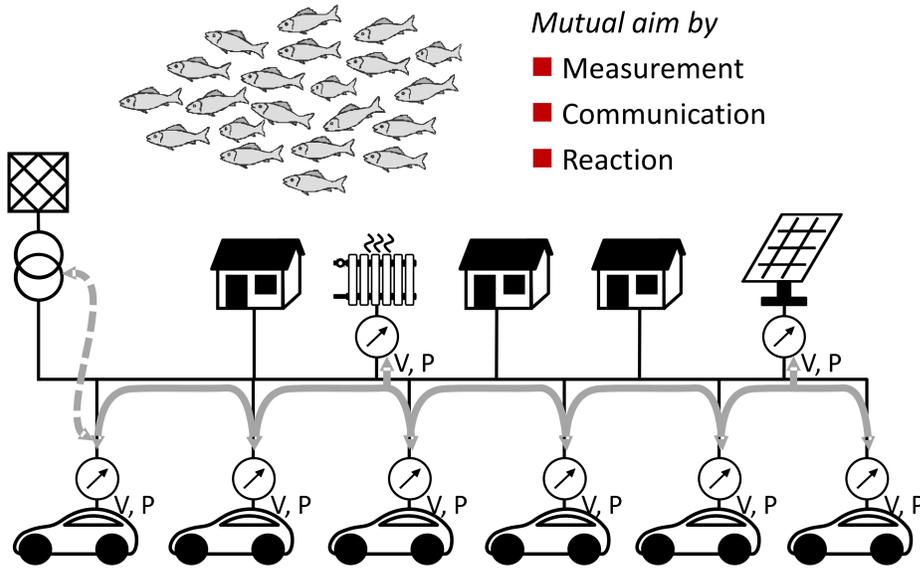
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Our Idea

Decentralized control

- Aim of control:**
 - No grid overload
 - For variable loads
 - Loads communicate
 - to share power budget
 - to share measurements
 - to enable grid topology estimation, grid state estimation
- Grid state estimation** allows variable power budget

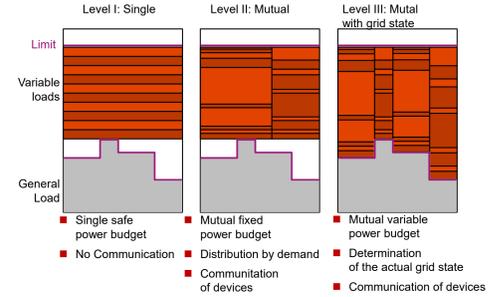
Swarm Grid



Mutual aim by

- Measurement
- Communication
- Reaction

Three levels control of power budget



Benefits

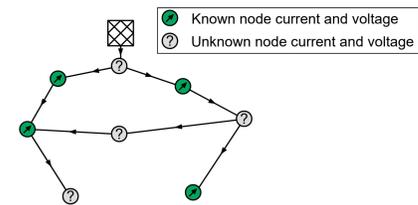
- Less grid extension needed
- No investment for central controller needed
- Fast grid use extension
- Resilient
- No discrimination of loads

How does it work

Node voltages and currents:

Easy-Peasy:

Known nodes $n = m$ unknown nodes



Setup equation system with admittance matrix:

$$\begin{bmatrix} I_1 \\ I_2 \\ I_3 \\ I_4 \\ I_5 \\ I_6 \end{bmatrix} = \begin{bmatrix} a_{11} & a_{12} & a_{13} & a_{14} & a_{15} & a_{16} \\ a_{21} & a_{22} & a_{23} & a_{24} & a_{25} & a_{26} \\ a_{31} & a_{32} & a_{33} & a_{34} & a_{35} & a_{36} \\ a_{41} & a_{42} & a_{43} & a_{44} & a_{45} & a_{46} \\ a_{51} & a_{52} & a_{53} & a_{54} & a_{55} & a_{56} \\ a_{61} & a_{62} & a_{63} & a_{64} & a_{65} & a_{66} \end{bmatrix} \begin{bmatrix} U_1 \\ U_2 \\ U_3 \\ U_4 \\ U_5 \\ U_6 \end{bmatrix}$$

Coefficients known from line impedances
Known node currents and voltages
Unknown node currents and voltages

Sort unknown to left and known to right

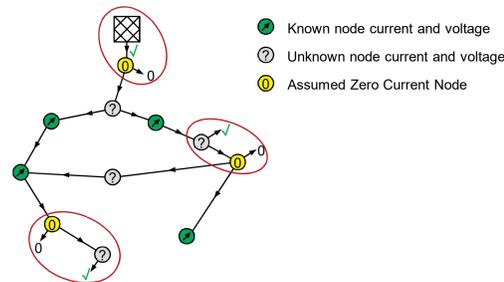
$$\begin{bmatrix} -a_{14} & -a_{15} & -a_{16} \\ -a_{24} & -a_{25} & -a_{26} \\ -a_{34} & -a_{35} & -a_{36} \\ -a_{44} & -a_{45} & -a_{46} \\ -a_{54} & -a_{55} & -a_{56} \\ -a_{64} & -a_{65} & -a_{66} \end{bmatrix} \begin{bmatrix} U_4 \\ U_5 \\ U_6 \end{bmatrix} = \begin{bmatrix} I_1 + a_{11}U_1 + a_{12}U_2 + a_{13}U_3 \\ I_2 + a_{21}U_1 + a_{22}U_2 + a_{23}U_3 \\ I_3 + a_{31}U_1 + a_{32}U_2 + a_{33}U_3 \\ I_4 + a_{41}U_1 + a_{42}U_2 + a_{43}U_3 \\ I_5 + a_{51}U_1 + a_{52}U_2 + a_{53}U_3 \\ I_6 + a_{61}U_1 + a_{62}U_2 + a_{63}U_3 \end{bmatrix}$$

U_4, U_5 and U_6 can be determined by inversion of the left partial matrix
Then I_4, I_5 and I_6 can be calculated

- For each known variable (U or I) one unknown variable (U or I) can be calculated

Not so easy:

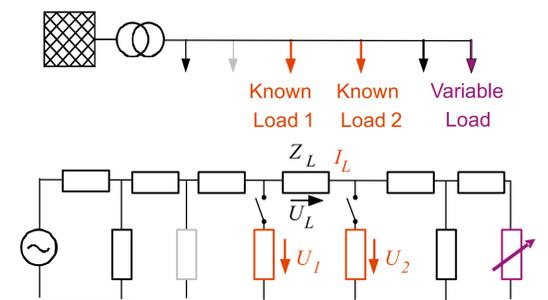
Known nodes $n < m$ unknown nodes or Ambiguous arrangements



Solution:

- Select $(m - n)$ nodes and assume a node current
- For worst case:
 - Select nodes, which are *not* at the end
 - Assume node current = 0
 - If ambiguous, calculate all cases
- Each Zero Current Node adds one variable to the equation system
- Equation system is solvable, proceed like before.

Line currents:

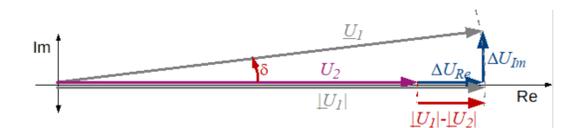


Solution:

- Use node voltages from state estimation and Ohm's law
- to calculate line currents

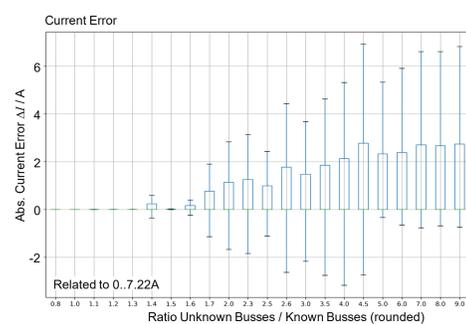
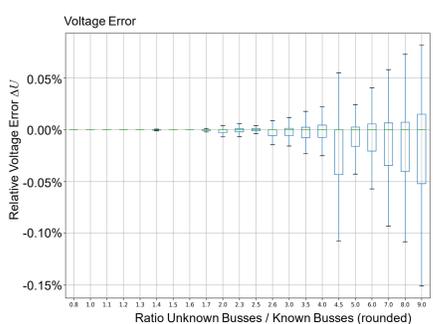
Problem:

- Voltages and currents are complex numbers
- Only amplitude is measured



What errors do we get

Node voltages and currents: Error from zero current assumptions



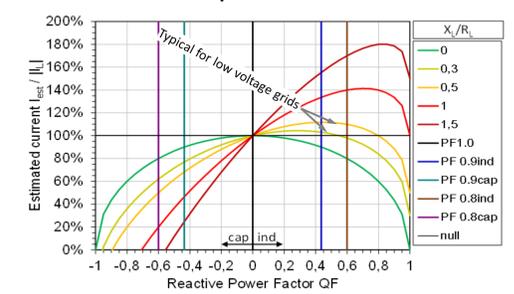
- All errors on the "safe side"
- Node voltages: Far below Errors < 0.15%
- Node currents: Large errors due to zero current assumption
- No significant errors for ratio of unknown to known buses < 4

- Up to 20589 arbitrary grids simulated and estimated
- From 4 nodes to 19 nodes
- Varying topologies and combinations of node types
- Only radial topologies
- Reference voltages and currents for all nodes from grid simulation

Note:
Previous Data was not correct due to programming error

Line currents:

Error without phase information



- For low voltage grids:
 - Low reactive impedance
 - Inductive currents
- => Estimation error < 10%

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